

Information Acquisition in Rumor-Based Bank Runs

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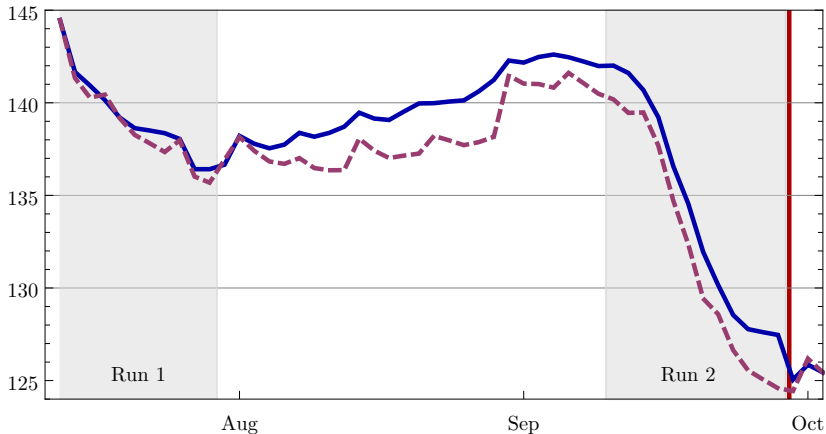
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Bank Runs on WaMu in 2008

WaMu Deposits, 7/14/2008 – 10/6/2008, \$ Billions



Stylized Features of Bank Runs in Modern Age

- ▶ Stylized features of Wamu bank runs:
 - ▶ First run July 2008, lasting about 20 days. **Rumor** is spreading online, but never made public
 - ▶ Wamu survived the first run, followed by deposit inflows
 - ▶ In the second fatal run in September 2008, **uncertainty** about bank liquidity played a key role
 - ▶ Deposit withdrawals are gradual
 - ▶ Worried depositors (even covered by FDIC insurance) scramble for information; then some withdrew immediately while others wait
- ▶ Same empirical features in recent runs on shadow banks (ABCP runs in 2007, European Debt Crisis in 2011)

Overview of the Result

- ▶ A dynamic bank run model with endogenous information acquisition about liquidity
 - ▶ **rumor**: signal about bank liquidity lacking a discernible source
 - ▶ additional information acquisition upon hearing the rumor
- ▶ We emphasize the role of acquiring informative but noisy information
 - ▶ Without information acquisition, either there is no run, or in run equilibrium depositors never wait (i.e. withdraw immediately) upon hearing the rumor
 - ▶ With information acquisition, in bank run equilibrium depositors with medium signal withdraw after an endogenous amount of time

Overview of the Result

- ▶ Information acquisition about liquidity may lead to bank run equilibrium thus inefficient
 - ▶ Suppose without information acquisition bank run equilibrium does not exist \Rightarrow depositors never withdraw
 - ▶ With information acquisition, medium-signal depositors worry about some depositors who get bad signal and runs immediately
 - ▶ This “fear-of-bad-signal-agents” pushes medium-signal agents to withdraw after certain endogenous time
- ▶ Public information provision can crowd out inefficient private information acquisition

Related Literature

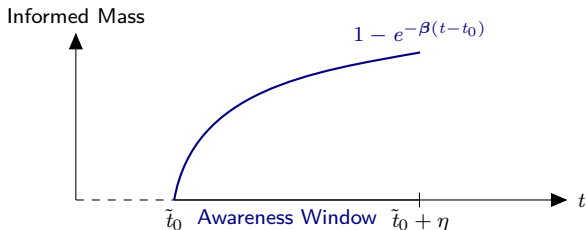
- ▶ Diamond and Dybvig (1983), Chari and Jagannathan (1988), Goldstein and Pauzner (2005), Ennis and Keister (2008), Nikitin and Smith (2008), etc
- ▶ Green and Lin (2003), Peck and Shell (2003), Gu (2011), etc
- ▶ He and Xiong (2012), Acharya, Gale, and Yorulmazer (2011), Martin, Skeie, and von Thadden (2011) etc
- ▶ Abreu and Brunnermeier (2002, 2003)

Bank Deposits

- ▶ Infinitely lived risk-neutral depositors with measure 1
- ▶ Bank deposits grow at a positive rate r , while cash under the mattress yields zero
 - ▶ r can be broadly interpreted as a convenience yield
 - ▶ to ensure bounded values, bank assets mature at Poisson event with rate δ
- ▶ Bank is solvent, but fails if $\tilde{\kappa}$ measure of depositors withdraw
 - ▶ we introduce uncertainty in $\tilde{\kappa}$ to capture uncertain bank liquidity
- ▶ If bank fails, each dollar inside the bank recovers $\gamma \in (0, 1)$

Liquidity Event and Spreading Rumors

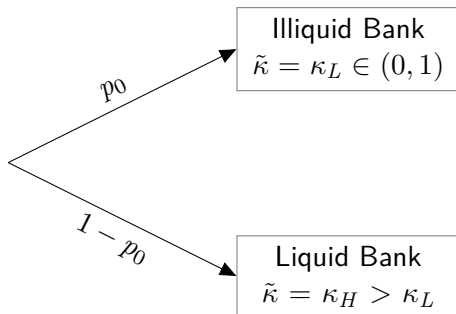
- ▶ *Liquidity event* hits at an unobservable random time \tilde{t}_0 exponentially distributed: $\phi(t_0) = \theta e^{-\theta t_0}$
 - ▶ 2007/08 crisis, banks have opaque exposure to MBS and hit by adverse shocks of real estate
- ▶ Bank **may** become illiquid and a ***rumor*** starts spreading:
 - ▶ “the liquidity event \tilde{t}_0 has occurred so the bank might be illiquid;” but nobody knows the exact time of \tilde{t}_0



- ▶ rumor: unverified info of uncertain origin that spreads gradually

Uncertainty about Bank Liquidity

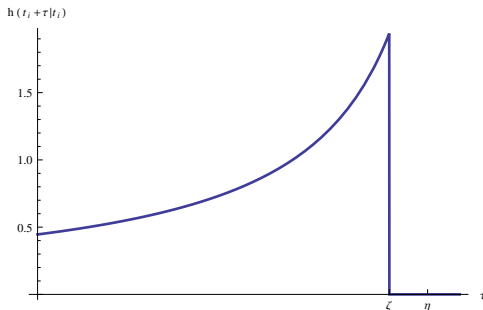
- ▶ Bank initially liquid, but may become illiquid after \tilde{t}_0
 - ▶ Uninformed agents not running the bank (verified later)
- ▶ Bank liquidity $\tilde{\kappa}$ can take two values:



- ▶ $\kappa_H < 1$ but sufficiently high to rule out rumor-based runs
- ▶ Once revealed to be liquid, agents *redeposit* their funds

Learning and Withdrawal

- ▶ Agent t_i 's information set at t : $\mathcal{F}_t^{t_i} = \{t_i, t, \tilde{y}_{t_i}, \mathbf{1}_t^{BF}\}$
 - ▶ $\mathbf{1}_t^{BF}$ is bank failure indicator, \tilde{y}_{t_i} is agent specific signal
- ▶ $\tau = t - t_i$, ζ : equilibrium survival time of illiquid bank
- ▶ Failure hazard rate $h(\tau) = \Pr(\text{fail at } [\tau, \tau + dt] | \text{survive at } \tau)$



- ▶ Proposition. *Given survival time ζ , threshold strategy, i.e. withdraw after τ_w , is optimal.*

Individual Optimality: When to Withdraw?

- ▶ Withdrawal decision trades-off bank failure vs growth
- ▶ Optimal withdrawal time $\tau_w \geq 0$ satisfies FOC:

$$\underbrace{h(\tau_w)}_{\text{failure hazard}} \times \underbrace{(1-\gamma)}_{\text{expected loss}} = \underbrace{r}_{\text{convenience yield}} \times \underbrace{V_O(\tau_w)}_{\text{value of a dollar outside the bank}}$$

- ▶ Given conjectured bank survival time ζ , the above FOC only depends on $\zeta - \tau_w$:

$$g(\zeta - \tau_w) = 0$$

- ▶ If ζ goes up by Δ , τ_w goes up by Δ : if banks survive longer, why don't I wait longer?
- ▶ Stationarity: my extra waiting time is exactly the increased bank survival time

Aggregate Withdrawal Condition

- ▶ Failure occurs when aggregate withdrawals reach the illiquid bank's capacity:

$$\int_{t_0}^{t_0 + \zeta - \tau_w} \beta e^{-\beta(t_i - t_0)} dt_i = 1 - e^{-\beta(\zeta - \tau_w)} = \kappa_L.$$

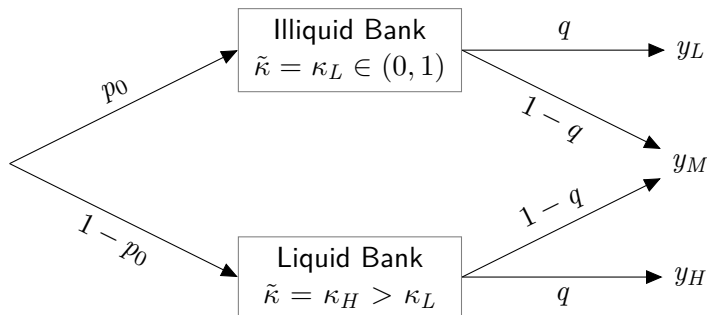
- ▶ Again, as in individual optimality condition, the aggregate withdrawal condition only depends on $\zeta - \tau_w$
- ▶ Except in knife-edge cases, “aggregate withdrawal” and “individual optimality” conditions have different solutions for $\zeta - \tau_w$
- ▶ It has important implications for bank run equilibrium without information acquisition

No Endogenous Waiting in Bank Runs

- ▶ Generically, either bank runs never occur, or bank runs occur without waiting so $\tau_w = 0$
 - ▶ Suppose the conjectured bank survival time is ζ . Aggregate withdrawal condition gives $\zeta - \tau_w$
 - ▶ Suppose individual optimality condition $g(\zeta - \tau_w) > 0$ so that every agent postpones withdrawal. Say $\tau_w + \Delta$ is optimal
 - ▶ Aggregate withdrawal condition says the new survival time becomes $\zeta + \Delta$!
 - ▶ Then the individual optimality condition says agents should wait $\tau_w + 2\Delta$, and so on so forth...
 - ▶ In equilibrium, no bank run occurs
 - ▶ If $g(\zeta - \tau_w) < 0$, then bank run occurs, but the above argument pushes $\tau_w = 0$

The Model with Information Acquisition

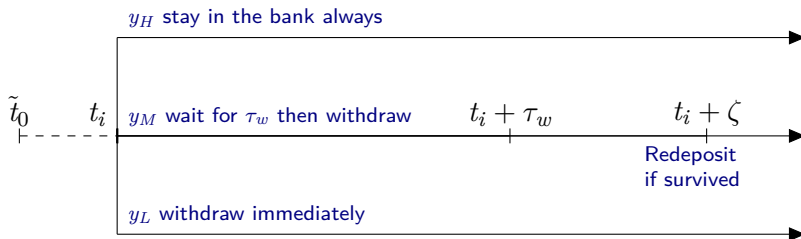
- ▶ Each agent, upon hearing the rumor, acquires an additional signal with quality q at some cost $\chi > 0$



- ▶ Pr. q perfect signals (y_H or y_L); Pr. $1 - q$ uninformative (y_M)

Individually Optimal Withdrawal

- ▶ y_L agents immediately withdraw upon hearing the rumor, y_H agents never withdraw
- ▶ y_M agents wait some endogenous time $\tau_w > 0$

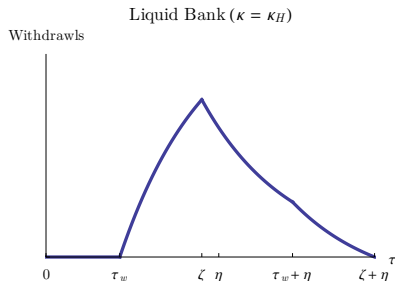
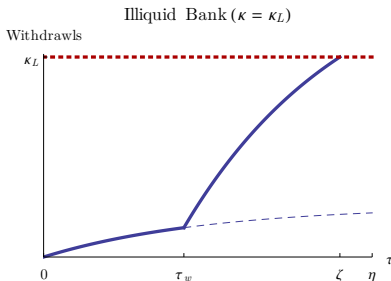


Modified Aggregate Withdrawal Condition

- ▶ Introduction of noisy signals changes the aggregate withdrawal condition

$$q \left(1 - e^{-\beta\zeta} \right) + (1 - q) \left(1 - e^{-\beta(\zeta - \tau_w)} \right) = \kappa_L$$

- ▶ Conditional on illiquid bank, y_L agents are running over $[0, \zeta]$ but y_M agents running over $[\tau_w, \zeta]$

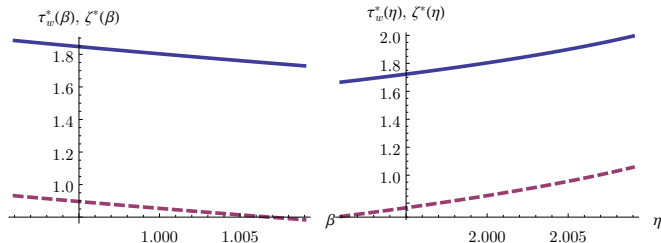


Bank Run Equilibrium with Waiting

- ▶ y_M 's withdrawal decision: bank failure vs. r growth
- ▶ Suppose all y_M agents withdraw immediately ($\tau_w = 0$), then
 - ▶ few y_L agents have withdrawn, takes longer to fail
 - ▶ longer remaining survival time $\zeta - \tau_w$, lower failure hazard
- ▶ When wait longer $\tau_w \uparrow$, y_M agents know that more and more y_L agents have withdrawn before them
 - ▶ shorter remaining survival time $\zeta - \tau_w$, higher failure hazard
 - ▶ the effect of “fear-of-bad-signal-agents”

Comparative Statics

- ▶ Suppose agent can choose precision q at some convex cost
- ▶ What is the impact of rumor spreading rate β and awareness window η on equilibrium outcomes?



- ▶ Counter-intuitive: when the awareness window widens and potentially more agents run, the illiquid bank survives longer
- Key** *The agent who hears the rumor also observes the bank is alive*
- ▶ Conditional on the bank surviving this long, the bank is more likely to be liquid

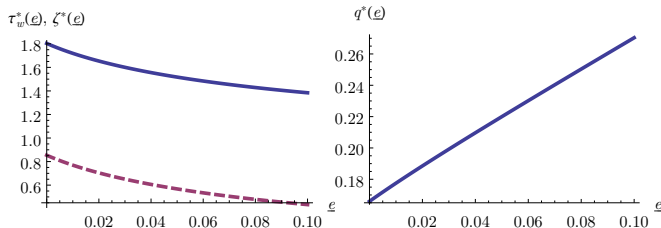
Strategic Substitution vs Strategic Complementarity

- ▶ Our model features strategic complementarity between information acquisition
 - ▶ Two equilibria: either no-acquisition-no-run, or acquisition-and-run
- ▶ Strategic complementarities in bank runs!
- ▶ But, we have strategic substitution in information acquisition as well
 - ▶ The mere bank survival is a public signal in our dynamic model
 - ▶ When other agents learn more, bank survival becomes a better information for bank liquidity
 - ▶ Thus individual agents acquire less information
- ▶ This strategic substitution effect is behind the counter-intuitive awareness window result

Extension: Insolvent Banks and Stress Tests

- ▶ Suppose that bank can also be insolvent
- ▶ Upon hearing the rumor, the agent can spend effort \underline{e} to know whether the bank is solvent (full revelation)
- ▶ Studying *solvency* inevitably tells us something about *liquidity*
 - ▶ the baseline quality of liquidity signals \tilde{y} becomes \underline{e} by uncovering insolvency
 - ▶ then, agents can further choose $q > \underline{e}$ with cost $\frac{\alpha}{2} (q - \underline{e})^2$
- ▶ A high \underline{e} triggers the bank run equilibrium
 - ▶ agents study hard to detect insolvent banks, but also learn something about bank liquidity
 - ▶ if others know a lot about liquidity, bank runs are possible and I want to learn more as well

Policy Implication: Stress Tests



- Public provision of solvency information (lower e) can mitigate bank runs by crowding-out individual depositors' effort to acquire liquidity information

Extension: Switching between Two Banks

- ▶ Often agents move funds from weak banks to stronger ones. Highly inefficient.
 - ▶ instead of keeping cash under the mattress (with zero return), the outside option is endogenous
- ▶ Suppose we have two banks one of which is illiquid with probability $\frac{1}{2}$
- ▶ The whole analysis goes through with only y_L agents withdrawing

Policy Implication: Injecting Noise about Solvent Banks

- ▶ Injecting noise about solvent banks increases the cost of liquidity information (a higher α) can eliminate the run
- ▶ October 13, 2008: Bailout of Big 9 Banks
- ▶ Paulson forces strongest banks to participate
- ▶ The government was in fact injecting noise about the liquidity of competing solvent banks into the economy

Conclusion

- ▶ Individuals acquire information about bank liquidity excessively when bank runs are a concern
 - ▶ gradual withdrawal and dynamically learning bank liquidity is new to the literature
- ▶ Government can play an active role in information policy
- ▶ We consider other theoretical issues
 - ▶ uninformed agents' problems, what if choosing acquisition timing, etc
- ▶ Our dynamic model can be taken to data, when available

Nonexistence of DD Pure-Strategy Sunspot Runs

- ▶ Interestingly, we can rule out the following Diamond-Dybvig pure-strategy bank runs triggered by sunspot
- ▶ Say that all agents, both those who have heard the rumor and those who have not, coordinate to run on the bank on some arbitrary time T
 - ▶ As the bank could be illiquid when time elapses, running could be incentive compatible
- ▶ However, if $T > 0$, every agent would like to preempt and withdraw at $T - \epsilon$
- ▶ Therefore $T = 0$. But it is common knowledge that the bank at $T = 0$ is liquid (so will not fail even if others are running)!
- ▶ Of course, equilibria with mixed strategies may exist