Leveraged Funds and the Shadow Cost of Leverage by Zhongjin Lu and Zhongling Qin

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Why do we care?

Measuring the shadow funding cost can educate both asset pricing and financial regulation

Financial frictions for intermediaries matter for asset pricing

- Theory (Brunnermeier-Pedersen 2009 RFS, He-Krishnamurthy 2013 AER; Brunnermeier-Sannikov, 2014 AER)
- Evidence (Adrian-Etula-Muir, 2014 JF; He-Kelly-Manela, 2017 JFE)

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- Evidence (Adrian-Etula-Muir, 2014 JF; He-Kelly-Manela, 2017 JFE)
- Regulatory constraints aim to prevent excessive risk due to government safety net
- Many opinions and theories
- Few empirical estimates
 - Structural estimates for life insurers (Koijen-Yogo, 2015 AER)
 - Loophole approach for banks (Kisin-Manela, 2016 RFS)
 - Loophole approach in IR swaps (Fleckenstein-Longstaff, 2018)

Provides a measure of "shadow cost of leverage constraints"
 Shadow cost ~ Return shortfall of leveraged fund

 Return shortfall of unleveraged fund

Imagines a leveraged fund trading with another intermediary that passes along its leverage costs

Main findings

- 1. Shadow cost increases by 98 bps per year, upon quarter-ends
- 2. Shadow cost positively predicts future BAB returns
 - ▶ BAB portfolios are long low- β_{mkt} and short high- β_{mkt} assets
- 3. Negative correlation between shadow cost and contemporaneous BAB returns
- 4. Exposure to time variation in shadow cost negatively predicts stock returns in the cross section

Contribution

- Leveraged fund-based shadow cost aligns with theory better than TED spread (Frazzini-Pedersen, 2014)
- Koijen-Yogo (2016) and Kisin-Manela (2016) quantify the shadow cost of capital for life insurers and banks, respectively
 - Current measure is more applicable to leveraged equity investors
 - Time-series and cross-sectional pricing tests of leverage constraints in equities

Suggestion 1: Explaining prices with fundamentals

- Claim "price" measure is better than "quantity" measures (Adrian-Etula-Muir, 2014; He-Kelly-Manela, 2017; Boguth-Simutin, 2018; Asness-Frazzini-Gormsen-Pedersen, 2020)
- But macro-finance agenda is to move away from explaining prices with prices (Cochrane, 2017)
- Takeaway from 2008 crisis was that intermediaries and financial frictions matter a lot
- What do we learn from your results about the fundamental constraints on their leverage?

Suggestion 2: Whose constraints?



 Theoretical motivation (Garleanu-Pedersen 2011) Investor maximizes expected utility of consumption s.t. margin constraint

$$\sum_{i} m_{it} \left| \theta_{it} \right| + \eta_{ut} \le 1$$

then shadow cost per asset i is

$$\lambda_t m_{it} = \underbrace{\mu_{it} - r_{ft}}_{\text{Effective risk premium}} - \underbrace{\beta_{it}}_{\text{Consumption risk exposure}} \times \underbrace{\gamma_t}_{\text{Consumption risk premium}}$$

- \blacktriangleright To measure the shadow cost using a spread, one needs two assets with same β_{it} and margin requirements m_{it}
- Big ask!
- Paper actually measures something else

Return shortfall:

$$\alpha_{it} = \underbrace{\delta}_{\text{Leverage}} \times \underbrace{b_{jt}}_{\text{Benchmark return}} - \underbrace{r_{it}}_{\text{Leveraged fund return}}$$

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Shadow cost of leverage constraints:

$$\psi_{it} = \frac{\alpha_{it} - \alpha_t^{1x}}{\delta - 1} - r_t^{GCrepo}$$

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$$\psi_{it} = \frac{\alpha_{it} - \alpha_t^{1x}}{\delta - 1} - r_t^{GCrepo} = b_{jt} - r_t^{GCrepo} - \frac{1}{\delta - 1} \left(r_{it} - r_{it}^{1x} \right)$$

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Muddies the measure and can be dominated by b_{jt} - r_t^{GCrepo}
 How about instead:

$$\psi_{it}^* = \frac{\alpha_{it}}{\delta} - \alpha_t^{1x} = r_{it}^{1x} - \frac{r_{it}}{\delta}$$

 All about funding / operating differences and not the benchmark index

Suggestion 4: Units

- \blacktriangleright Shadow cost is 0.56% per year on average. Is that large?
- How much would the intermediaries be willing to pay to increase their leverage by X?

My Take

- Measuring shadow funding costs can inform both asset pricing and financial regulation
- Leveraged funds are super interesting institutions worth further study
 - New sample collected can advance this literature
- Interesting and intuitive results explaining and predicting BAB returns using leveraged-unleveraged fund spreads
- Tying up some theoretical loose ends and connecting more to fundamentals

Other suggestions / minor point

Footnote 18: The ICR measure in He, Kelly, and Manela (2017) is the market <u>capital ratio</u> of the holding companies of primary dealers.